

Accurate 3D stopping-power ratio estimation by statistical image reconstruction from dual energy CT sinogram data exported from a commercial multi-slice CT scanner



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1. MOTIVATION

- Proton radiotherapy (PT) Offers comparable effectiveness to **photon radiotherapy** but with less
- **PT effectiveness** requires accurate knowledge of Bragg peak fall-off at the end of the proton-beam range so SOBP falloff can be accurately aligned with the Clinical Target Volume (CTV) distal boundary.
- Previously, we demonstrated that our 2D Joint Statistical Image Reconstruction code using a basisvector cross-section model (JSIR-BVM) more accurately maps stopping power ratios (SPR) and better suppresses noise than competing image- and sinogramdomain dual-energy CT (DECT)3,4.
- Goals: (1) eliminate up to 2/3 of range uncertainty (currently 2-3.5%) in current clinical practice. (2) Make JSIR-BVM clinically feasible for PT planning.
- Clinical feasibility requires that JSIR-BVM be extended to 3D image reconstruction from helical sinograms in a reasonable time. To this end, we herein (1) present our GPU-based 3D JSIR-BVM reconstruction engine and (2) quantitatively assess its performance on simulated and experimentally acquired helical sinograms for phantom and patient scan subjects.

Scanner's Physical

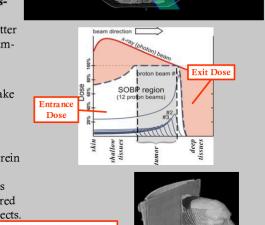
Model

Data Preprocessing.

Integration of

Physical Model to Algorithm

3D ISIR-BVM



2. JSIR-BVM RECONSTRUCTION

> 3D JSIR-BVM: Reconstruct 3D CT images of polystyrene and CaCl₂ solution basis-material weights. $c_i(x)$ and $c_i(x)$ from 90 kVp and 140 kVp sequentially acquired polyenergetic helical transmission sinograms, $d_i(y)$, by solving a penalized maximum likelihood estimation (MLE) problem^{5,6}.

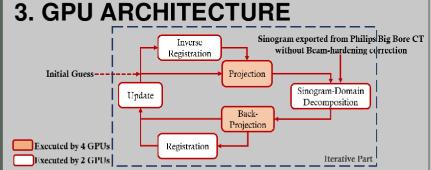
scattered-photon sinogram.

between measured and predicted sinograms⁷

$$I_{\mathbf{d}}(d_j || Q_j) = \sum_{y} \left(d_j(y) \log \frac{d_j(y)}{Q_j(y)} - d_j(y) + Q_j(y) \right)$$

- > BVM weights are used to derive pixel-wise estimates of electron density, $\hat{\rho}_e(x)$, and mean excitation energy, $\hat{I}(x)^{5,6}$. For example, **Electron Density** = $\hat{\rho}_e(x) = c_1(x)\rho_{e,1} +$
- Estimate stopping power using simplified Bethe-Bloch Equation.

$$\widehat{S}_{p}(E_{p},x) = -\frac{dE_{p}}{dx}(x) = \widehat{\rho}_{e}(x)\frac{k_{1}}{\beta^{2}}\left[\frac{1}{2}\ln\frac{k_{2}\beta^{2}T_{max}}{\widehat{I}(x)^{2}(1-\beta^{2})} - \beta^{2}\right]$$



Our GPU code uses branchless distance-driven forward and back-proejectors. Projected values are weighted based on the intersection volume between rays and mage voxels. Each iteration requires 4 forward- and 8 back-projections, accounting for ~90% of the total elapsed time. Deformable image registration is introduced to address possible organ motion between the sequentially acquired 90 and 140 kVp

Category	Material	Composition	Density (g/mL)	SPR						
	Water	H ₂ O	0.998	1.000						
Soft	Acctone	C ₃ H ₆ O	0.788	0.796						
	Ethano1	C_2H_5OH	0.789	0.820	Category	Material	Composition	Density (g/mL)	SPR	
	n-Propanol	C_3H_7OH	0.803	0.841	Soft	Water	H ₂ O	0.997	1.000	
	n-Butanol	C ₄ II ₉ OII	0.807	0.848		Ethanol	C ₂ II,OII	0,788	0,820	
Bony	CaCl-1	CaCl ₂ (7.20%)	1.052	1.037		n-Propano1	C ₃ H ₇ OH	0.803	0.840	
	CaC1-2	CaCl ₂₍ 18.24%)	1.153	1.110		n-Butanol	C_4H_9OH	0.807	0.847	
	CaC1-3	CaCl ₂ (23.07%)	1,202	1.144	Bony	KP-1	K ₂ HPO ₄ (10.26%)	1,086	1,068	
	KP-1	K ₂ HPO ₄ (9.37%)	1.075	1.058		KP-2	K ₃ HPO ₄ (20.81%)	1.189	1.146	
	KP-2	$K_3IIPO_4(17.17\%)$	1.149	1.114		KP-3	K ₂ HPO ₄ (28.96%)	1,273	1,207	
	KP-3	$K_2HPO_4(29.26\%)$	1.273	1.206		KP-4	K ₂ HPO ₄ (34.64%)	1.336	1.253	
	KP-4	K ₂ HPO ₄ (45.21%)	1,467	1.346	Knov	vn prope	rties of expe	erimen	tal	
Known properties of simulated inserts.						inserts.				

Single-threaded CPU

GPU + Initial Guess +

150

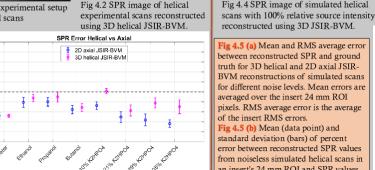
Pixel Column

33 Ordered Subsets 33 Ordered Subsets + Accelerated DEAM with

4 GPUs

3527

4. RESULTS Fig 4.4 SPR image of simulated helical



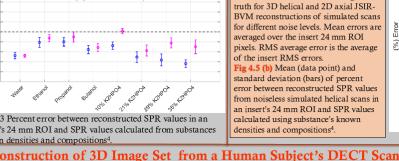
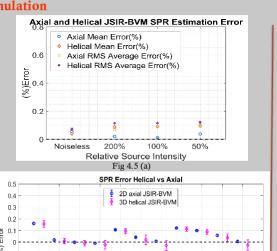


Fig 4.6 Slices 55 (Left) and 70 (center) from the reconstructed 3D SPR map of a brain tumor patient. (Right) Profiles through both slices SPR maps showing a mean SPR of 1.0 for cerebral tissue. Benchmark





5. CONCLUSIONS

- To our knowledge, **3D JSIR-BVM**¹⁰ is the first SIR algorithm that directly reconstructs 3D SPR maps by simultaneously operating on experimentally-acquired, energy-uncompensated helical CT
- We demonstrated its accuracy against experimental benchmarks, simulated ground truth, and SPR maps predicted by our 2D axial JSIR-BVM code.
- We were able to show early results of 3D SPR maps reconstructed from patient serial 90 and 140 kVp dual-energy, helical-CT scans acquired on a 16-slice Philips Big Bore Brilliance scanner.

- Studies must be performed to analyze inter- and intra-patient variabilities in SPR estimates and the susceptibility of our algorithm to errors in heterogeneous tissue with features smaller than an image
- Further speed up our current method in order to do a full spiral reconstruction within a clinically
- Mitigate effects of scatter in clinically realistic beam collimations. Unlike previous experiments in which axial scans could be acquired at the narrowest collimation, helical scans can only be obtained at 12 or 24 mm beam collimations which can be significantly affected by scatter.

6. ACKNOWLEDGMENTS



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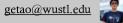
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8. CONTACT INFORMATION

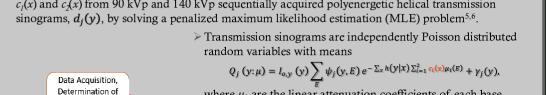
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where μ_i are the linear attenuation coefficients of each base material, $\psi_i(y, E)$ denotes the j-th photon spectrum, and $\gamma_i(y)$ the

 \triangleright Use MLE to find $(c_1(x), c_2(x))$ that minimizes the I-divergence

Final Objective function⁸: $g(c_1, c_2) = \sum_{j=L,H} I_d(d_j || Q_j) + \lambda \sum_{i=1}^2 R(c_i)$